

Round-Efficient Broadcast Authentication Protocols for Fixed Topology Classes

Haowen Chan, Adrian Perrig
Carnegie Mellon University

1

Talk Outline

- Background / Motivation
- Optimizations for the Path Topology
- Summary of Other Results

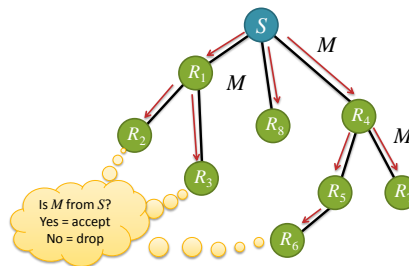
2

Talk Outline

- **Background / Motivation**
- Optimizations for the Path Topology
- Summary of Other Results

3

Multi-receiver Authentication in Sensor/Ad-hoc Networks



4

Authentication Methods

- **Signature**: Sender S signs M using private key
 - Need support for public key crypto
- **Multi-receiver Message Authentication Codes**
 - Additional $O(n)$ overhead in message size
- **TESLA** [Perrig et al, 2002]:
 - Need time synchronization
- **Communication-Efficient with Minimal Assumptions**
 - Guy Fawkes [Anderson et al. 1998]
 - **Hash Tree-based** [Chan & Perrig 2008]

5

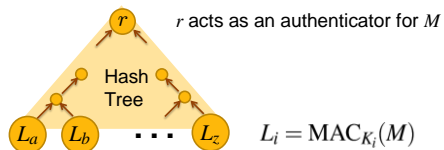
Assumptions

- Sender knows full network topology
- Sender shares a unique symmetric key K_i with each receiver R_i

6

Hash Tree Based Broadcast

- Construct a hash tree with MACs at the leaves

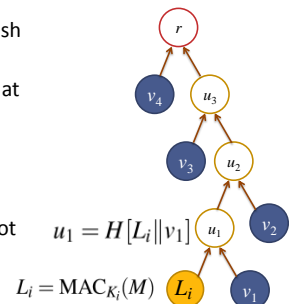


- Idea: Adversary can't compute r for forged M' since it does not know any of the MAC values of the legitimate nodes

7

Receiver Verification

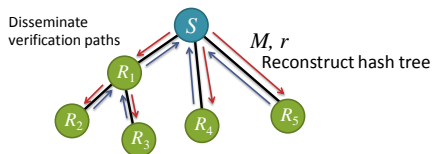
- Given Message M , hash tree root vertex r
- Receiver R_i verifies that $L_i = MAC_{K_i}(M)$ is a leaf in hash tree with root r
- Verification path = all siblings on path to root



8

General Tree Topology: 3 Passes

- Sender broadcasts message M with hash tree root r
- Receivers reconstruct hash tree with leaves $L_i = MAC_{K_i}(M)$
- Verification paths disseminated



9

Talk Outline

- Background / Motivation
- Optimizations for the Path Topology
- Summary of Other Results

10

Path Topology



- Common applications
 - Actual linear topologies (roadway, corridor)
 - Path from leaf to root in spanning tree
 - Along a routing path
- 1 round = one interaction between neighbors
- Message from S to R_n takes n rounds
- Unoptimized: 3 passes = $3n$ rounds

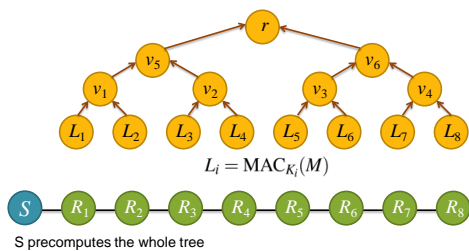
11

Observation

- Can start reconstructing the hash tree immediately upon receiving M
- "Piggy-back" the two outgoing passes together
 - Achieve $2n$ rounds
 - Outgoing pass: left-siblings computed
 - Incoming pass: right-siblings computed

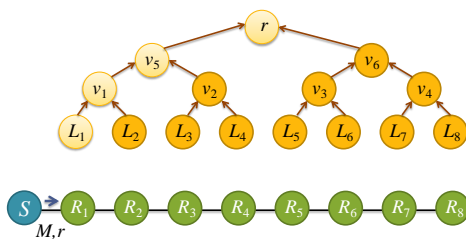
12

2n-Round Protocol



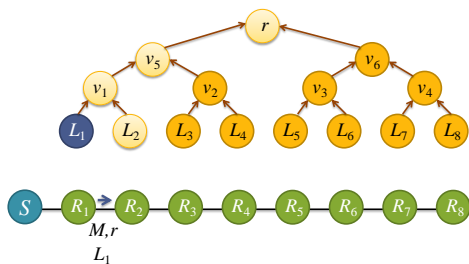
13

2n-Round Protocol



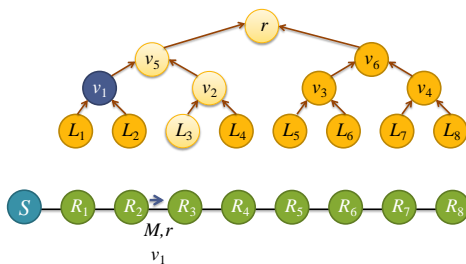
14

2n-Round Protocol



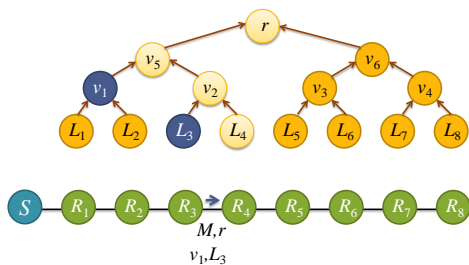
15

2n-Round Protocol



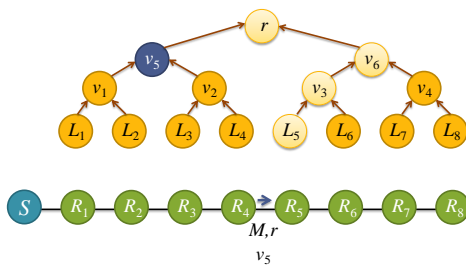
16

2n-Round Protocol



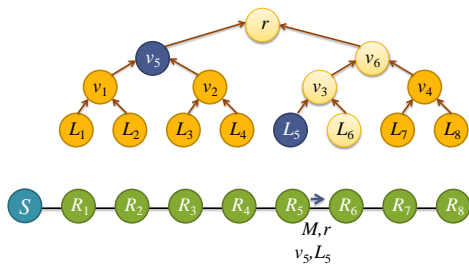
17

2n-Round Protocol



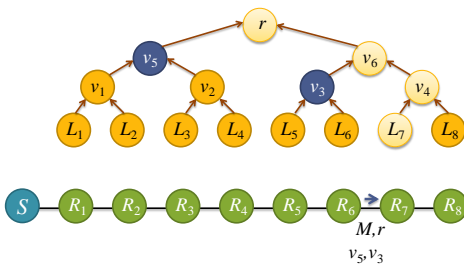
18

2n-Round Protocol



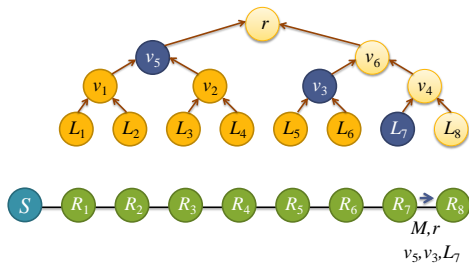
19

2n-Round Protocol



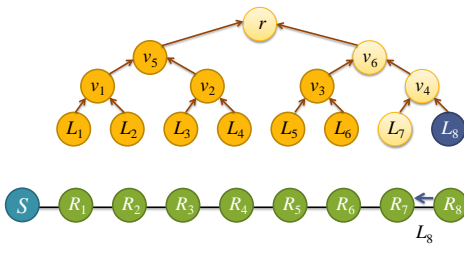
20

2n-Round Protocol



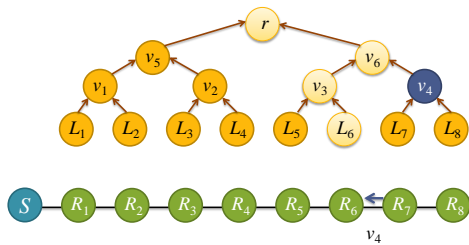
21

2n-Round Protocol



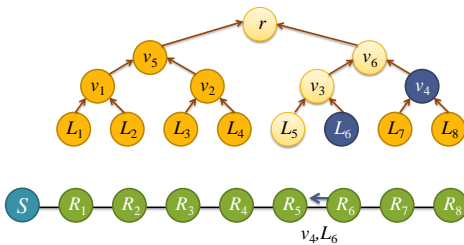
22

2n-Round Protocol



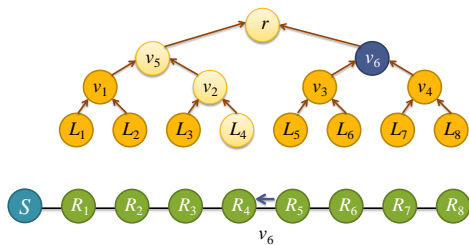
23

2n-Round Protocol



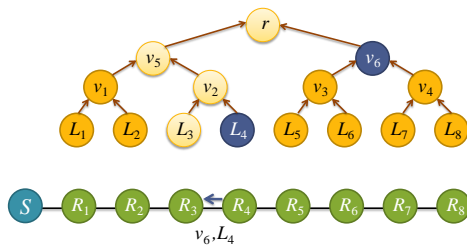
24

2n-Round Protocol



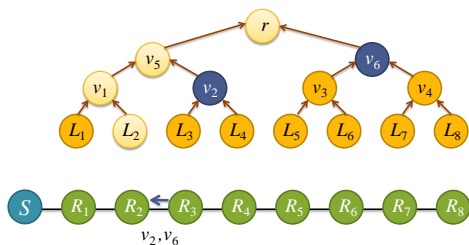
25

2n-Round Protocol



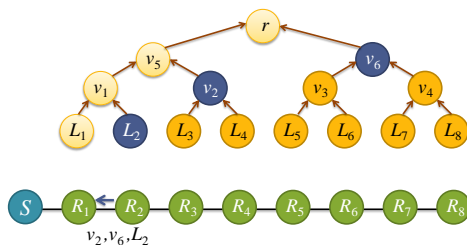
26

2n-Round Protocol



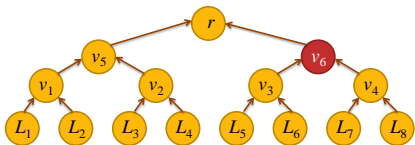
27

2n-Round Protocol



28

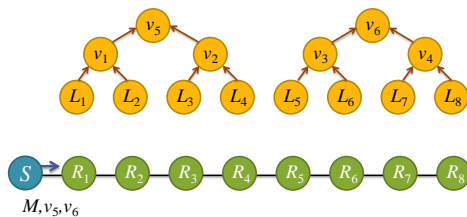
Further Optimizations



- Computation of Node v_6 causes delay
- If Sender precomputes and sends v_6
 - Nodes 1-4 can build verification paths *independently* of 5-8
 - Split apart the two subtrees

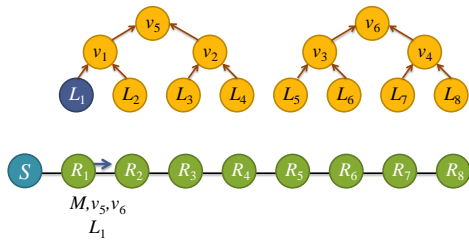
29

1.5n-Round Protocol



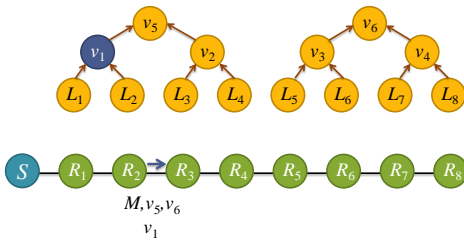
30

1.5n-Round Protocol



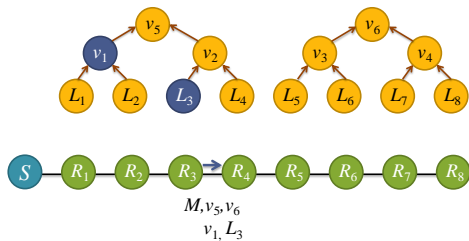
31

1.5n-Round Protocol



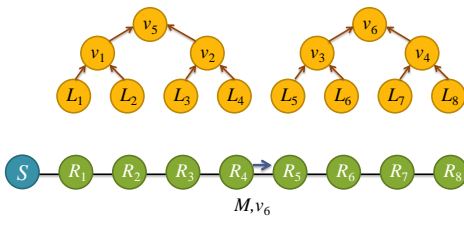
32

1.5n-Round Protocol



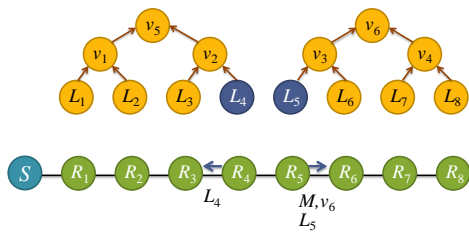
33

1.5n-Round Protocol



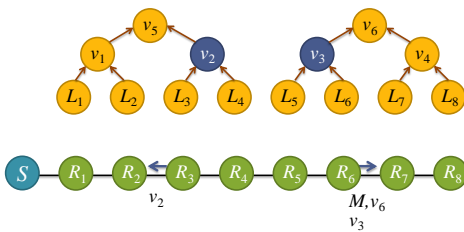
34

1.5n-Round Protocol



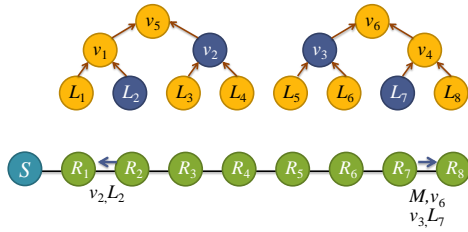
35

1.5n-Round Protocol



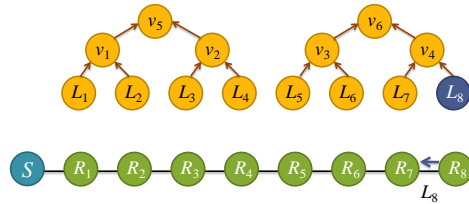
36

1.5n-Round Protocol



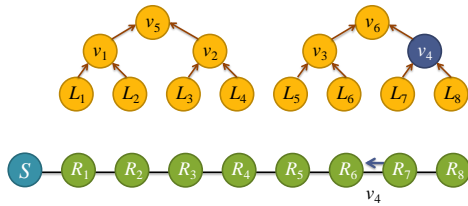
37

1.5n-Round Protocol



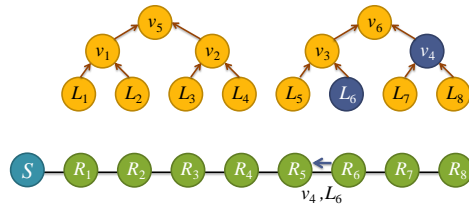
38

1.5n-Round Protocol



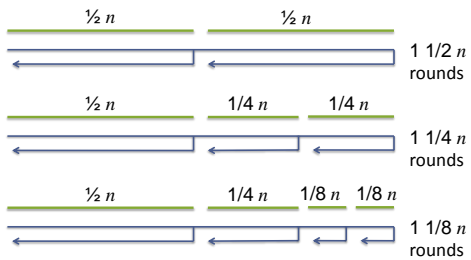
39

1.5n-Round Protocol



40

General Optimization



41

n-Round Protocol

- Break the receiver set into $\log n$ groups
- Doubles communication overhead but halves the number of rounds
- No protocol can be faster than this

42

Talk Outline

- Background / Motivation
- Optimizations for the Path Topology
- **Summary of Other Results**

43

Guy Fawkes on the Path Topology

- Optimization to reduce Guy Fawkes to $2n$ rounds
- Reduce that to n rounds using the same divide-and-conquer technique

44

Round Complexity Lower Bounds

- Any Signature-free Broadcast Authentication Protocol that completes in $(2-\rho)\log n$ rounds for $0 < \rho \leq 1$ must have $\Omega(n^\rho)$ comm. overhead per node
- Proven using a reduction to a known result for multi-receiver MACs
- Protocols with polylog communication overhead must take $2 \log n$ rounds or more

45

Tightness of the Bound

- Optimization of protocols for fully connected topologies
- Achieves $2 \log n$ rounds with $O(\log^2 n)$ communication per node
- No protocol with polylog per node communication overhead can take fewer rounds

46

Lower Bounds for Trees

- Any Signature-free Broadcast Authentication Protocol that completes in $(2.44-\rho)\log n + O(1)$ rounds in a tree topology must have $\Omega(n^\rho)$ comm. overhead per node
- Strictly more than 2 passes are needed for trees
 - Known protocols are likely already optimal for trees

47

Thank You!

Haowen Chan
haowenchan@cmu.edu

48